Algebra 2CP
Problem Solving Using Logarithms
Show a complete calculator set-up for each of the following. Round all answers to the nearest cent, nearest year or nearest hour.

1. One thousand dollars is invested at $12 \%$ interest compounded annually. Determine how much the investment is worth after: a) 1 year $\quad$ b) 3 years
2. One thousand dollars is invested at $12 \%$ annual interest for three years. Determine how much the investment is worth if the interest is compounded: a) semi-annually b) quarterly c) daily
3. The value of a $\$ 12,500$ used car decreases $20 \%$ per year. Find its value after: a) 1 year b) 3 years
4. The value of a $\$ 3500$ sailboat depreciates $10 \%$ per year. Find its value after: a) 1 year b) 10 years
5. How long will it take you to double your money if you invest $\$ 1000$ at $8 \%$ compounded annually?
6. How long will it take you to triple your money if you invest $\$ 4000$ at $6 \%$ compounded annually?
7. A gold coin appreciated in value from $\$ 100$ to $\$ 238$ in eight years. Find the average annual rate of appreciation.
8. Ten years ago Michael paid $\$ 250$ for a rare 1823 stamp. Its current value is $\$ 1000$. Find the average annual rate of growth.
9. A used car valued at $\$ 12,000$ decreased in value to $\$ 4900$ in 5 years. Find the annual rate of depreciation.
10. A certain radioactive element decays over time according to the equation $y=A\left(\frac{1}{2}\right)^{\frac{t}{300}}$ where $\mathrm{A}=$ the number of grams present initially and $t=$ time in years. If 1000 grams were present initially a) how many grams are present after 900 years? how long will it take for there to be 100 grams remaining?
11. Bacteria in a culture are growing exponentially with time according to the table shown.

## Bacteria Growth

a) Write an equation to model the number or bacteria present at any time $t$.
b) How may bacteria a there after 8 hours?
c) How long will it take for there to be 100,000 bacteria present?

| Hour | Bacteria |
| :---: | :---: |
| 0 | 60 |
| 1 | 120 |
| 2 | 240 |

ANSWERS:1. a) $\$ 1120$ b) $\$ 1404.93$ 2. a) $\$ 1418.52$ b) $\$ 1425.76$ c) $\$ 1433.24$ 3. a) $\$ 10,000$ b) $\$ 6400$
4. a) $\$ 3150$ b) $\$ 1220.375$. 9.01 or 9 years 6.18 .9 or 19 years $7.11 .4 \% 8.14 .9 \% 9.16 .4 \%$ 10. a) 125 grams b) 996.6 or 997 years 11. a) $y=60(2)^{t}$ b) 15,360 bacteria c) 10.7 or 11 hours

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